

# SMILES-Based Optimal Descriptors: QSAR Analysis of Fullerene-Based HIV-1 PR Inhibitors by Means of Balance of Correlations

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**Abstract:** Quantitative structure-activity relationships (QSAR) for prediction of binding affinities (pEC50, i.e., minus decimal logarithm of the 50% effective concentration) of 20 fullerene derivatives inhibitors of the HIV-1 PR (human immunodeficiency virus type 1 protease) have been developed by application of the optimal descriptors approach calculated with SMILES (simplified molecular input line entry system). The applied models were constructed by the balance of correlations. Three various splits of the experimental data into subtraining set, calibration set, and test set were examined. Comparison of classic scheme (training-test system) and the balance of correlations (subtraining-calibration-test system) show that the balance of correlations gives more robust predictions than the classic scheme for the pEC50 of the fullerene derivatives.

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**Key words:** Fullerene; QSAR; HIV-1 PR; SMILES; optimal descriptor; correlation balance

## Introduction

An application of various nanomaterials in diverse areas of industry has been increasing appreciably in the last decade. It is parallel to the investigation of fundamental properties of nanostructures by chemists, biochemists, and medicinal chemists. Usually, such experimental investigations can be extended and generalized by the results of computational studies. Among various computational approaches the quantitative structure-property/structure-activity relationships (QSPR/QSAR)-based methods by combination of experimental data with theoretical descriptors<sup>1–12</sup> provide useful tools to supply necessary information assisting development of novel nanomaterials<sup>13–17</sup> and safe applications of innovative nanotechnologies.

The molecular graphs symbolize traditional elucidation of the molecular structure in the QSPR/QSAR analysis. In many cases, the molecular graph is represented for the QSPR/QSAR analyses by the adjacency matrix. However, the molecular graph of a nanomaterial could require extremely large adjacency matrix. Simplified molecular input line entry system (SMILES)<sup>18–20</sup> provides a convenient alternative to molecular graph in the QSPR/QSAR analyses.<sup>21,22</sup>

The main problem of the QSPR/QSAR analysis is evaluation and control of the predictive ability of the developed model. Well-known procedures of the QSPR/QSAR models validation (leave-one-out, leave-many-out) deal with serious criticism.<sup>23–26</sup> Suggested alternatives<sup>25,26</sup> are based on geometric analysis of dots in coordinates of observed versus calculated (predicted) values of endpoints. In the present study we propose to use the statistical approach<sup>13,17</sup> as a tool to evaluate the applied model. We have examined and compared three different splits into training set and test set (traditional classic approach) as well as three splits into subtraining set, calibration set, and test set (balance of correlations<sup>27</sup>).

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Additional Supporting Information may be found in the online version of this article.

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In the last few years, biomedical applications of fullerene and its derivatives have been extensively investigated.<sup>1,2</sup> Durdagi et al.<sup>1</sup> have built QSAR for binding affinities of fullerene derivatives with the HIV-1 PR (human immunodeficiency virus type 1 aspartic protease). The aim of this study is the estimation of ability of SMILES-based optimal descriptors for QSAR analysis of the above-mentioned fullerene-based HIV-1 PR inhibitors.

### Data

The binding affinity values of fullerene derivatives pEC50 were taken from work by Durdagi et al.<sup>1</sup> The molecular structures of these fullerene derivatives are presented in Supporting Information section. SMILES notations for these structures have been generated by ChemSketch software.<sup>28</sup>

### Method

Optimal descriptors which are used in this study are calculated as follows:

$$\text{DCW}(\text{Threshold}) = \sum W(S_k) \quad (1)$$

where  $S_k$  is a symbol in the SMILES notations;  $W(S_k)$  represents correlation weight of the  $S_k$ . Threshold is criterion for definition (calculation) of rare symbol. If Threshold is equal to 3, then symbols ( $S_k$ ) that occur in the training (or subtraining) set less than three times are classified as rare ones. Correlation weights for rare  $S_k$  is defined as  $W(S_k) = 0$ . Thus, the rare symbols of the SMILES have no influence on the model.

Correlation weights of active (i.e., not rare)  $S_k$  are calculated by the Monte-Carlo method optimization.<sup>17</sup> Two systems of the optimization have been examined in the present work.

The first is the traditional classic scheme: all available data were split into training set and test set. Correlation weights which produce as large as possible correlation coefficient between the DCW(Threshold) and pEC50 are calculated by this optimization.<sup>10,13,17</sup>

The second scheme is named balance of correlations: all available data were split into subtraining set, calibration set, and test set. Target function<sup>27</sup> of the optimization for this scheme is calculated as

$$\text{CB} = R_s + R_c - \text{ABS}(R_s - R_c) \times 0.1 \quad (2)$$

where  $R_s$  and  $R_c$  are correlation coefficient between the DCW(Threshold) and pEC50 for the subtraining set and calibration set, respectively. The calibration set plays role of the preliminary test set. Three splits into the subtraining set, calibration set, and test set have been examined. In case of the classic scheme, the training set contains both the subtraining set and the calibration set. Table 1 shows these three splits.

### Results and Discussion

Statistical characteristics of the models for the three splits obtained by the balance of correlations and by the classic

**Table 1.** Three Splits of the Data into the Subtraining Set, Calibration Set, and Test Set.

	Split A	Split B	Split C
Subtraining set			
2	3	2	
3	4	4	
9	5	8	
10	7	10	
13	15	12	
15	16	16	
20	18	19	
	20	20	
Calibration set			
1	1	3	
6	2	5	
7	8	6	
8	9	7	
12	10	14	
17	11	15	
18	13	18	
19			
Test set			
4	6	1	
5	12	9	
11	14	11	
14	17	13	
16	19	17	

scheme are collected in Table 2. One can see from Table 2, that balance of correlations give more accurate models for three splits. Graphically, these results obtained with the threshold ranging from 1 to 7 are shown in Figure 1.

Figure 2 shows the best model for pLD50 as well as the outlier (ID 18) that takes place in the calibration set (Split C, Probe 1, Threshold = 1). This model is characterized below:

$$\begin{aligned} \text{pEC50} &= -31.607 + 0.1247 \times \text{DCW}(1) \\ n &= 8, r^2 = 0.9058, q^2 = 0.8456, s = 0.352, F = 58 (\text{subtraining set}) \\ n &= 7, r^2 = 0.5232, R_m^2 = 0.1321, s = 1.27, F = 5 (\text{calibration set}) \\ n &= 5, r^2 = 0.9919, R_m^2 = 0.9619, s = 0.175, F = 367 (\text{test set}) \end{aligned} \quad (3)$$

where  $q^2$  is leave-one-out correlation coefficient value, and  $R_m^2$  is the criterion suggested by Roy P. P. and Roy K.,<sup>26</sup>  $R_m^2 = r^2 \times (1 - \sqrt{r^2 - r_0^2})$ . The parameters  $r^2$  and  $r_0^2$  are squared correlation coefficient values between observed and predicted values of the test set compounds with and without the intercept respectively. For a model with good external predictability,  $R_m^2$  value should be greater than 0.5. In the case of all 20 compounds  $R_m^2 = 0.41$ , but in the case of 19 compounds without the outlier (Fig. 2) the  $R_m^2 = 0.559$ . Thus, one can see that the model calculated with eq. (3) has external predictability according to the  $R_m^2$  criterion, at least if the outlier is removed. It is to be noted that in spite of the presence of the outlier in the

**Table 2.** Statistical Characteristics of QSAR Models of the pEC<sub>50</sub> for Split A, Split B, and Split C for the Threshold Ranging from 1 to 7.

Threshold	Nact <sup>a</sup>	Probe	Subtraining set			Calibration set			Test set			
			n	r <sup>2</sup>	s	F	n	r <sup>2</sup>	s	F	n	r <sup>2</sup>
<b>Split A Balance of correlations</b>												
1	18	1	7	0.8413	0.309	27	8	0.7560	1.002	19	5	0.8379
		2	7	0.8177	0.332	22	8	0.8204	0.955	27	5	0.9053
		3	7	0.8255	0.324	24	8	0.7917	0.990	23	5	0.8964
Average				0.8282	0.322	24		0.7893	0.982	23		0.8799
2	17	1	7	0.8188	0.331	23	8	0.8160	0.989	27	5	0.9489
		2	7	0.8240	0.326	23	8	0.7754	1.018	21	5	0.9107
		3	7	0.8252	0.325	24	8	0.8214	0.964	28	5	0.9172
Average				0.8227	0.327	23		0.8043	0.990	25		0.9256
3	17	1	7	0.8234	0.326	23	8	0.8102	0.993	26	5	0.9339
		2	7	0.8353	0.315	25	8	0.7807	0.999	21	5	0.9402
		3	7	0.8078	0.341	21	8	0.8116	0.978	26	5	0.9124
Average				0.8222	0.327	23		0.8008	0.990	24		0.9288
4	16	1	7	0.8290	0.321	24	8	0.8249	0.954	28	5	0.9084
		2	7	0.8303	0.320	24	8	0.8252	0.959	28	5	0.9086
		3	7	0.8352	0.315	25	8	0.7802	0.961	21	5	0.8946
Average				0.8315	0.319	25		0.8101	0.958	26		0.9039
5	15	1	7	0.9197	0.220	57	8	0.5180	1.775	6	5	0.0035
		2	7	0.9165	0.225	55	8	0.5055	1.906	6	5	0.0104
		3	7	0.9295	0.206	66	8	0.5042	1.701	6	5	0.0222
Average				0.9219	0.217	59		0.5092	1.794	6		0.0120
6	15	1	7	0.9160	0.225	55	8	0.5412	1.846	7	5	0.0001
		2	7	0.9357	0.197	73	8	0.5359	1.890	7	5	0.0083
		3	7	0.9232	0.215	60	8	0.5413	1.796	7	5	0.0039
Average				0.9250	0.212	62		0.5395	1.844	7		0.0041
7	14	1	7	0.9531	0.168	102	8	0.5387	2.008	7	5	0.0031
		2	7	0.9245	0.213	61	8	0.5557	1.879	8	5	0.0240
		3	7	0.9003	0.245	45	8	0.5716	1.649	8	5	0.0033
Average				0.9260	0.209	69		0.5554	1.845	8		0.0101
<b>Split A Classic scheme</b>												
1	22	1	15	0.8412	0.432	69				5	0.6149	1.753
		2	15	0.8353	0.440	66				5	0.6211	1.794
		3	15	0.8440	0.428	70				5	0.5290	1.864
Average				0.8402	0.433	68					0.5883	1.804
2	18	1	15	0.7490	0.543	39				5	0.6835	1.336
		2	15	0.7525	0.539	40				5	0.6789	1.593
		3	15	0.7570	0.534	41				5	0.6459	1.606
Average				0.7529	0.539	40					0.6694	1.512
3	18	1	15	0.7681	0.522	43				5	0.6237	1.712
		2	15	0.7695	0.520	43				5	0.6145	1.788
		3	15	0.7556	0.536	40				5	0.6727	1.582
Average				0.7644	0.526	42					0.6369	1.694
4	18	1	15	0.7539	0.538	40				5	0.6456	1.549
		2	15	0.7486	0.543	39				5	0.6752	1.607
		3	15	0.7585	0.533	41				5	0.6560	1.535
Average				0.7537	0.538	40					0.6590	1.563
5	17	1	15	0.7572	0.534	41				5	0.6318	1.549
		2	15	0.7613	0.529	41				5	0.6431	1.609
		3	15	0.7591	0.532	41				5	0.6460	1.576
Average				0.7592	0.532	41					0.6403	1.578
6	16	1	15	0.7589	0.532	41				5	0.6519	1.557
		2	15	0.7568	0.534	40				5	0.6473	1.583
		3	15	0.7572	0.534	41				5	0.6528	1.530
Average				0.7576	0.533	41					0.6507	1.557
7	16	1	15	0.7586	0.532	41				5	0.6470	1.635
		2	15	0.7628	0.528	42				5	0.6414	1.672
		3	15	0.7613	0.529	41				5	0.6510	1.637
Average				0.7609	0.530	41					0.6465	1.648

(Continued)

Table 2. (Continued).

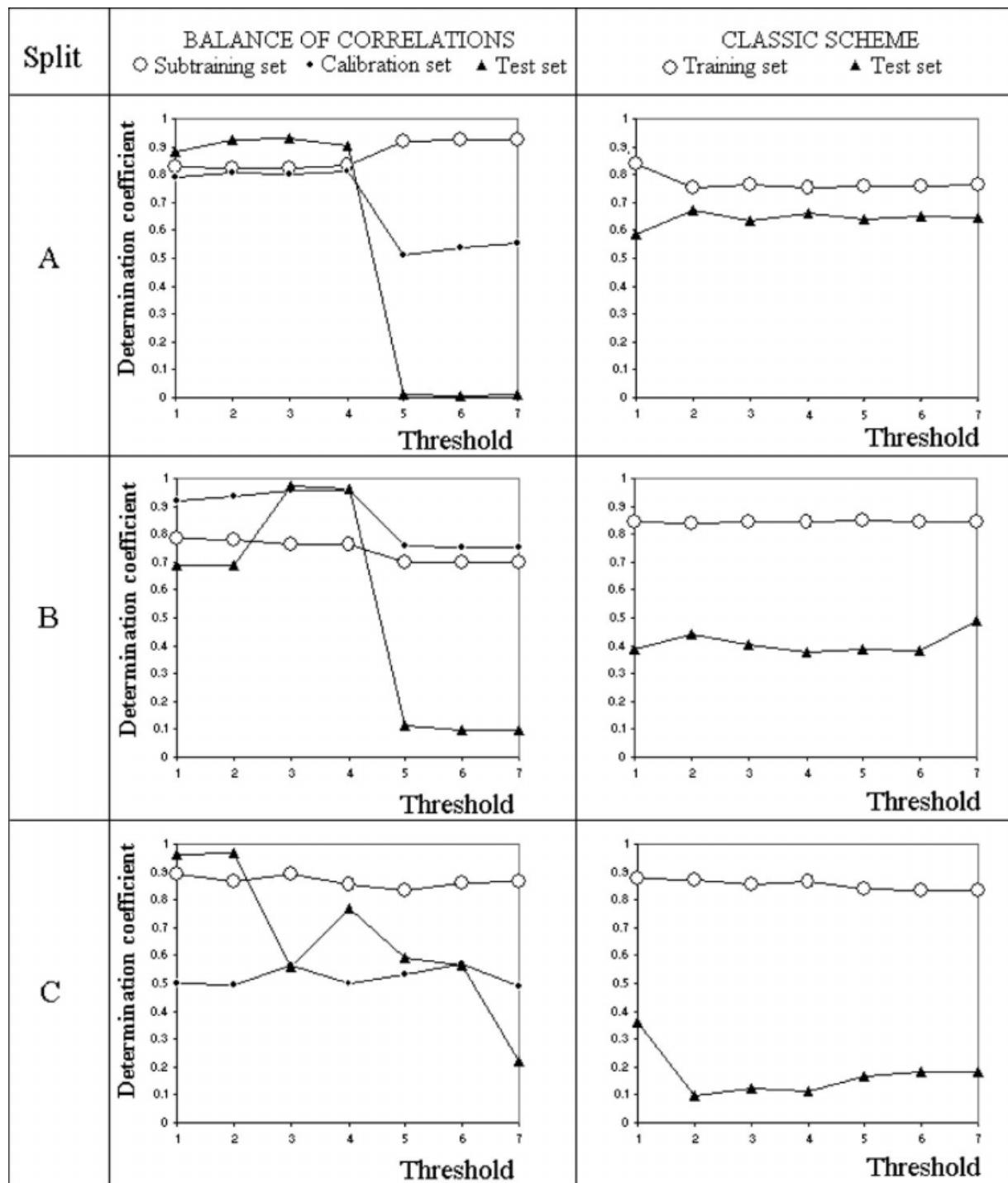
Threshold	Nact <sup>a</sup>	Probe	Subtraining set			Calibration set			Test set					
			n	r <sup>2</sup>	s	F	n	r <sup>2</sup>	s	F	n	r <sup>2</sup>	s	F
<b>Split B Balance of correlations</b>														
1	19	1	8	0.7778	0.605	21	7	0.9127	0.768	52	5	0.6740	0.752	6
		2	8	0.7911	0.587	23	7	0.8977	0.716	44	5	0.7880	0.820	11
		3	8	0.7814	0.601	21	7	0.9484	0.944	92	5	0.5976	0.699	4
Average				0.7834	0.598	22		0.9196	0.809	63		0.6866	0.757	7
2	18	1	8	0.7778	0.605	21	7	0.9433	0.945	83	5	0.5894	0.696	4
		2	8	0.7872	0.592	22	7	0.8946	0.776	42	5	0.7832	0.797	11
		3	8	0.7719	0.613	20	7	0.9696	0.954	160	5	0.6997	0.656	7
Average				0.7790	0.604	21		0.9358	0.892	95		0.6907	0.716	7
3	17	1	8	0.7583	0.631	19	7	0.9677	0.826	150	5	0.9808	0.810	153
		2	8	0.7605	0.629	19	7	0.9502	0.705	95	5	0.9579	0.797	68
		3	8	0.7692	0.617	20	7	0.9568	0.805	111	5	0.9797	0.836	145
Average				0.7626	0.626	19		0.9582	0.778	119		0.9728	0.814	122
4	17	1	8	0.7766	0.607	21	7	0.9563	0.834	109	5	0.9519	0.833	59
		2	8	0.7634	0.625	19	7	0.9493	0.798	94	5	0.9790	0.799	140
		3	8	0.7560	0.634	19	7	0.9717	0.898	172	5	0.9613	0.798	75
Average				0.7653	0.622	20		0.9591	0.843	125		0.9641	0.810	91
5	15	1	8	0.6917	0.713	13	7	0.7549	1.057	15	5	0.1339	0.998	0
		2	8	0.6989	0.705	14	7	0.7667	1.023	16	5	0.1158	1.011	0
		3	8	0.7000	0.704	14	7	0.7462	1.068	15	5	0.0943	0.976	0
Average				0.6968	0.707	14		0.7559	1.050	16		0.1147	0.995	0
6	15	1	8	0.7044	0.698	14	7	0.7558	1.063	15	5	0.0430	0.967	0
		2	8	0.6895	0.716	13	7	0.7537	1.061	15	5	0.1589	0.987	1
		3	8	0.7011	0.702	14	7	0.7529	1.045	15	5	0.0865	0.983	0
Average				0.6983	0.705	14		0.7541	1.056	15		0.0961	0.979	0
7	15	1	8	0.6922	0.713	13	7	0.7534	1.057	15	5	0.1456	0.991	1
		2	8	0.6897	0.715	13	7	0.7613	1.048	16	5	0.0924	0.983	0
		3	8	0.7209	0.679	15	7	0.7484	1.070	15	5	0.0534	1.007	0
Average				0.7009	0.702	14		0.7544	1.058	15		0.0971	0.994	0
<b>Split B Classic scheme</b>														
1	19	1	15	0.8378	0.438	67				5	0.5163	1.320	3	
		2	15	0.8380	0.438	67				5	0.4904	1.338	3	
		3	15	0.8482	0.424	73				5	0.1518	1.340	1	
Average				0.8414	0.433	69					0.3862	1.332	2	
2	18	1	15	0.8378	0.438	67				5	0.3063	1.237	1	
		2	15	0.8385	0.437	67				5	0.6079	1.300	5	
		3	15	0.8398	0.436	68				5	0.4074	1.219	2	
Average				0.8387	0.437	68					0.4405	1.252	3	
3	18	1	15	0.8459	0.427	71				5	0.4614	1.346	3	
		2	15	0.8423	0.432	69				5	0.4259	1.415	2	
		3	15	0.8490	0.423	73				5	0.3203	1.349	1	
Average				0.8457	0.427	71					0.4026	1.370	2	
4	17	1	15	0.8430	0.431	70				5	0.2926	1.530	1	
		2	15	0.8450	0.428	71				5	0.3279	1.382	1	
		3	15	0.8369	0.440	67				5	0.5129	1.330	3	
Average				0.8416	0.433	69					0.3778	1.414	2	
5	17	1	15	0.8466	0.426	72				5	0.5257	1.391	3	
		2	15	0.8448	0.429	71				5	0.4025	1.431	2	
		3	15	0.8528	0.418	75				5	0.2261	1.350	1	
Average				0.8481	0.424	73					0.3848	1.391	2	
6	17	1	15	0.8441	0.430	70				5	0.1284	1.229	0	
		2	15	0.8445	0.429	71				5	0.5423	1.415	4	
		3	15	0.8403	0.435	68				5	0.4767	1.453	3	
Average				0.8430	0.431	70					0.3825	1.366	2	
7	17	1	15	0.8437	0.430	70				5	0.5804	1.350	4	
		2	15	0.8402	0.435	68				5	0.3865	1.247	2	
		3	15	0.8448	0.429	71				5	0.4961	1.538	3	
Average				0.8429	0.431	70					0.4877	1.379	3	

(Continued)

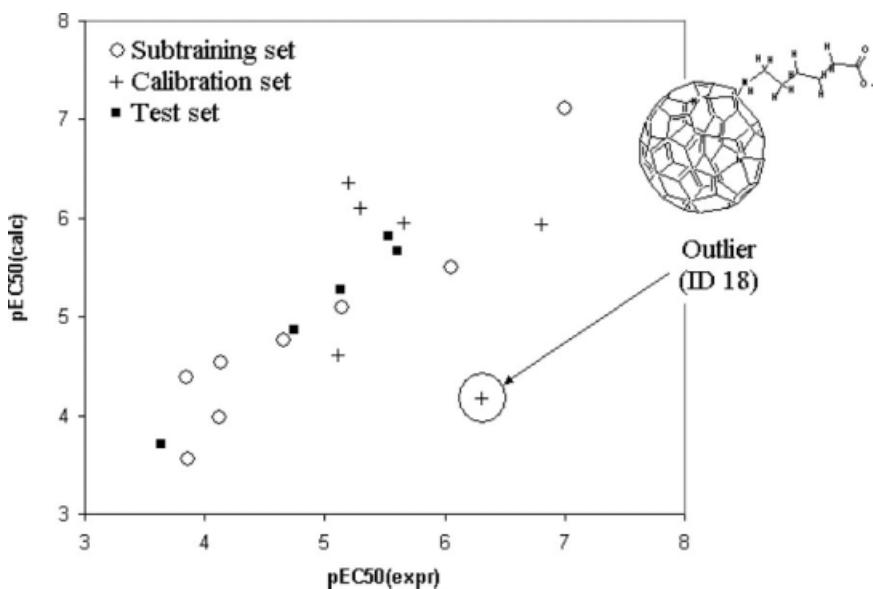
Table 2. (Continued).

Threshold	Nact <sup>a</sup>	Probe	Subtraining set			Calibration set			Test set			
			n	r <sup>2</sup>	s	F	n	r <sup>2</sup>	s	F	n	r <sup>2</sup>
<b>Split C Balance of correlations</b>												
1 <sup>b</sup>	19	1	8	0.9058	0.352	58	7	0.5232	1.275	5	5	0.9919
		2	8	0.8912	0.378	49	7	0.4443	1.327	4	5	0.9553
		3	8	0.8873	0.385	47	7	0.5319	1.337	6	5	0.9359
Average				0.8948	0.372	51		0.4998	1.313	5		0.9610
2	19	1	8	0.8603	0.429	37	7	0.4905	1.226	5	5	0.9779
		2	8	0.9077	0.348	59	7	0.5107	1.292	5	5	0.9649
		3	8	0.8213	0.485	28	7	0.4812	1.280	5	5	0.9661
Average				0.8631	0.420	41		0.4941	1.266	5		0.9696
3	18	1	8	0.9241	0.316	73	7	0.5786	1.263	7	5	0.4372
		2	8	0.8429	0.454	32	7	0.5062	1.201	5	5	0.9384
		3	8	0.9154	0.333	65	7	0.6054	1.629	8	5	0.2969
Average				0.8941	0.368	57		0.5634	1.364	7		0.5575
4	16	1	8	0.7903	0.525	23	7	0.4892	1.085	5	5	0.8041
		2	8	0.8784	0.400	43	7	0.5183	1.184	5	5	0.7018
		3	8	0.9026	0.358	56	7	0.5004	1.220	5	5	0.7932
Average				0.8571	0.428	41		0.5026	1.163	5		0.7664
5	16	1	8	0.8858	0.387	47	7	0.5039	1.140	5	5	0.7997
		2	8	0.8351	0.466	30	7	0.6249	1.044	8	5	0.1842
		3	8	0.7753	0.543	21	7	0.4712	1.103	4	5	0.7842
Average				0.8320	0.465	33		0.5333	1.096	6		0.5894
6	16	1	8	0.8879	0.384	48	7	0.4932	1.130	5	5	0.8106
		2	8	0.8171	0.490	27	7	0.6967	0.937	11	5	0.1141
		3	8	0.8786	0.400	43	7	0.5204	1.124	5	5	0.7747
Average				0.8612	0.425	39		0.5701	1.063	7		0.5664
7	15	1	8	0.9002	0.362	54	7	0.4865	1.955	5	5	0.1683
		2	8	0.8632	0.424	38	7	0.4877	1.626	5	5	0.2809
		3	8	0.8283	0.475	29	7	0.4903	1.577	5	5	0.2173
Average				0.8639	0.420	40		0.4881	1.719	5		0.2222
<b>Split C Classic scheme</b>												
1	22	1	15	0.8832	0.401	98				5	0.2945	1.612
		2	15	0.8816	0.404	97				5	0.2562	1.683
		3	15	0.8600	0.439	80				5	0.5280	1.211
Average				0.8749	0.415	92					0.3596	1.502
2	19	1	15	0.8650	0.431	83				5	0.1068	2.128
		2	15	0.8716	0.421	88				5	0.0893	2.321
		3	15	0.8744	0.416	90				5	0.0925	2.263
Average				0.8703	0.423	87					0.0962	2.237
3	18	1	15	0.8589	0.441	79				5	0.1191	2.108
		2	15	0.8399	0.470	68				5	0.1586	1.879
		3	15	0.8730	0.418	89				5	0.0925	2.245
Average				0.8572	0.443	79					0.1234	2.078
4	18	1	15	0.8670	0.428	85				5	0.1106	2.165
		2	15	0.8540	0.448	76				5	0.1232	2.072
		3	15	0.8702	0.423	87				5	0.1119	2.170
Average				0.8637	0.433	83					0.1152	2.136
5	17	1	15	0.8390	0.471	68				5	0.1775	1.727
		2	15	0.8458	0.461	71				5	0.1473	1.816
		3	15	0.8348	0.477	66				5	0.1698	1.684
Average				0.8399	0.470	68					0.1649	1.742
6	16	1	15	0.8357	0.476	66				5	0.1846	1.689
		2	15	0.8245	0.492	61				5	0.1900	1.615
		3	15	0.8342	0.478	65				5	0.1788	1.655
Average				0.8315	0.482	64					0.1845	1.653
7	16	1	15	0.8380	0.472	67				5	0.1677	1.713
		2	15	0.8317	0.481	64				5	0.2000	1.631
		3	15	0.8342	0.478	65				5	0.1852	1.665
Average				0.8346	0.477	66					0.1843	1.670

<sup>a</sup>The number of active attributes which are not rare for given threshold.<sup>b</sup>The best prediction.



**Figure 1.** Comparison of the classic scheme of QSAR modeling (training-test system) and the balance of correlations (subtraining set-calibration set-test set) for three random splits into the subtraining set, calibration set, and the test set.



**Figure 2.** Graphical representation of the model calculated with eq. (3).

calibration set the prediction for the external test set is quite satisfactory. It should be noted that in the cases of Split A and Split B the compound with ID 18 (Table 2, Fig. 2) is not an outlier. Furthermore, the average value of the  $R_m^2$  for calibration set and test set [i.e.,  $0.5 \times (0.1321 + 0.9619) = 0.547$ ] is larger than 0.5.

Table 3 contains the correlation weights for calculation with eq. (3). An example of the DCW(1) calculation is demonstrated in the Supporting Information section. Experimental and calculated values using eq. (3) of pEC50 are displayed in Table 4.

Table 5 contains the details of distribution of  $S_k$  into sub-training set, calibration set, and test set. One can see from Table 5 that number of SMILES that contain  $S_k$  in majority cases is the same, whereas the total numbers of  $S_k$  in different splits vary. Thus, the number of  $S_k$  in these splits defines the statistical quality of these models.

In case of the split C, the statistical quality of the model [eq. (3)] for the calibration set is poor ( $r^2 \approx 0.5$ ). Nevertheless, the prediction without the calibration set (solely with the subtraining set,  $n = 8$ ) is not better: in this case prediction for the external test set is characterized by  $r^2 < 0.5$ . In other words, the use of the calibration set improves statistical characteristics of the prediction, despite poor statistical characteristics for the calibration set.

Statistical quality of models for pEC50 described by Durdagi et al.<sup>1</sup> are excellent ( $r^2 = 0.997$ ). However, in fact, the only cross-validated  $r_{cv}^2$  values are presented in the report ( $r_{cv}^2 \approx 0.55$ ). According to ref. 1, the last three compound were used as a test set (18, 19, and 20), consequently, these models are characterized (for the test set) by  $n = 3$ ,  $r^2 = 0.8347$  in case of the comparative molecular field analysis (CoMFA) and  $n = 3$ ,  $r^2 = 0.9699$  in case of comparative molecular similarity indices analysis (CoMSIA). The comparison of these results with the SMILES-based models (Table 2) indicates that SMILES-based models could be considered as a valuable alternative.

It should be noted that models described in the ref. 1 are based on the 3D-descriptors (three-dimensional), whereas, models examined here are based on 2D-descriptors (two-dimensional), hence using the described approach one can carry out the QSAR analysis using the Internet available databases<sup>29,30</sup> which contain SMILES notations.

**Table 3.** Correlation Weights for Calculation DCW(1) Used in eq. (3).

$S_k$	$W(S_k)$
%	1.2537874
(	0.4971701
/	-1.0048547
0	4.2539384
1	2.8730463
2	3.5045661
3	-2.1240763
4	3.7482791
5	2.0042684
6	3.0046478
7	1.9980735
8	3.3096573
9	2.4389246
=	1.8123507
@	0.0
C	-1.6270157
H	0.0
N	-2.5013376
O	-0.8140661
[	0.0
\	-2.5038693
c	-0.1291104

Split C, Probe 1 of the Optimization, Threshold = 1.

**Table 4.** Experimental and Calculated with eq. (3) Values of the Activity (pEC50) for 20 Fullerene-Based HIV-1 Inhibitors.

ID	SMILES	pEC50	
		Expr	Calc
2	Subtraining set CN%22CC(C%27%24C1c%33C=6C4=C%31C=2c%33c2c1c%26c%29c% 18c2C=3C=%1C=%3C=%16ce12=C%15C(=C4C5=C%14C=% 30C8=C5C=6C7=C%23C8=C%21C=9C=% 20C=%10C%19=C(C=%10%11)=C%12C%13=C%14%15C=%16C=% 17C%18=C%19C%29%28CCN(C)CC%20%28C(=C%25C%21C%23%24C% 22)=C%26%27C%31=%32	289.8103391	4.140
4	OC(c1ccccc1)C%11(c2cccc2)C%21%12C5=C%28C%20=C%19C%29=C%18C% 31=C%17C=%32C=4C=3C=%16C%13=C7C=6C=%22C-%4C% 34=C%23C=%25C=%33C%30=C1C%26=C5C=%24C%10C=9C% 27=C(=6C8=C7C=%14C(=C(=C(=C(=9C%10%11%12)C(C%15C%19=C% 18C(=C%13C=%14%15C=%16%17)=C%20%21)C=%22C%23=C%27C=% 24C=%25%26)C%28=C%29C%30=C%31C=%32C=%33%34 O=C(O)C(N)CCCCNC%31%30C%13=C1C%15=C%18C%26C1=C%28C%31C% 10=C%29C=%20C9=C%21C2=C6C%22=C%24C=5C%17=C4C%16=C% 14C8=C%12C=3C=%11C(=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C% 30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%18%19)C=% 27C%25=C(C=%20C%21=C%22C%25=C%23%24)C(C%26=%27)=C% 28%29	310.4704712	7.000
8	O=C(O)CC(CC(=O)O)NC(=O)NC(=O)NC(=O)NC(=O)NC(=O)NC(=O)NC(=O) 28C%31C%10=C%29C=%20C9=C%21C2=C6C%22=C%24C=5C%17=C4C% 16=C%14C8=C%12C=3C=%11C(=C2C=7C=3C8=C4C=5C6=7C9=C% 10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C1=C% 18C(=C%13C=%14%15C=%16%17)=C%20C%21=C%23%24)C(C%26=% 27)=C%28%29	285.4211043	4.120
10	O=C(O)CON=C%22CC%12%23C9C=4C=3C%21=C%26C%20=C%19C% 27=C%18C%29=C%17C=%30C=2C=1C=%16C%13=C7C=6C=1C=% 24C=2C%32=C5C=%25C=%31C%28=C1C=3C=%25C=4C%11=C5C=% 24C=%10C=6C8=C7C=%14C(=C%12C8=C9C=%10%11)C(C%15C%19=C% 18C(=C%13C=%14%15C=%16%17)=C%20C%21=C%23%24)C(C%22)C% 26=C%27C%28=C%29C=%30C=%31C%32	297.6145647	6.050
12	O=C(O)CON=C%29C(=CC%23%31C%21=C3C2=C%30C=%28C=%32C% 27=C1C8=C7C=6C5=C1C=%32C=C4C3C%20=C%19C(=C45)C=%6C=% 11C=%12C7=C%14C8=C%26C%15=C%25C=%24C9=C%16C=%13C% 17=C10C9=C(C%23=C%22C%10=C%18C(=C%19C=%11C(C=%12C=% 13C%14=C%15%16)=C%17%18C%20=C%21%22)C=%24C(C=%28C% 25=C%26%27C%30%31C%29	294.3052583	5.140
16	24C=%29C%14=C%30C=2C=%12C%15=C5=%2C%32=C%22C=%4C=%3C=% 21C%18=C7C=6C=3C(=45)=C%16C=%10C=%16C=C%19C(=C% 17C8=C9C=%10C(=C%11C=%12C=%13%14)=C%15%16)C=%25C%20C% 23=C%33C(=C%18C=%19%20)C=%21C%22=C%31C%33=C(C%23=C% 24C=%25C%26%27%28)C=%29C%30=C%31%32	291.6792238	4.660
19	24C=%29C%14=C%30C=2C=%12C%15=C5=%2C%32=C%22C=%4C=%3C=% 21C%18=C7C=6C=3C(=45)=C%16C=%10C=%16C=C%19C(=C% 17C8=C9C=%10C(=C%11C=%12C=%13%14)=C%15%16)C=%25C%20C% 23=C%33C(=C%18C=%19%20)C=%21C%22=C%31C%33=C(C%23=C% 24C=%25C%26%27%28)C=%29C%30=C%31%32	291.6792238	4.660

(Continued)

Table 4. (Continued).

ID	SMILES	pEC50	
		DCW(1)	Expr Calc
20	C1OC(O)C(CCCC(O)c2cc(cc2O))C%23(c3cccc3)C%34%22C%12=C%32C=%25C%11=C%26C4=C8C%27=C%29C=7C%17=C6C%16=C%15C%10=C%14=C=5C=%13C=(=C4C=9C=5C%10=C6C=9C%11=C%12C=%13C%21C%14=C%20C%15=C%19C%16=C%18C%17=C%28C%24=C%18C%35=C%31=C%24C%30=C(=C%25C%26=C%27C%30=C%28C%29)C%31=C%32C=%33%34	281.9801843	3.860
3	Calibration set O=C%27CC%33%28C3=C5c1c%26c%23c%30c2c1C=4C6=C7C2=C%31C8=C%17C%29=C%22C=%16C%21=C%15C%20=C%13C=%12C=%19C(=C3C%11=C(C=4)C=%10C6=C9C7=C8C=%18C%14=C9C(C=%10C%11=%12)=C%13C%14=C%15C=%16C%17=%18C%33C%24=C(C=%19%20)C%21C%25%32CC(=O)CC(OC)C%22C%32C(=C%23C(=C%24%25)C%26%28C(OC)%27C%29C%30C%31NCCclccc1)C%11(c2cc(CCn)ec2)C%21C%12C5=C%28C%20=C%19C%29=C%18C%31=C%17C=%32C=4C=3C=%16C%13=C%6C=3C=%22C=%24C%34=C%23C=%25C=%33C%30=C(C%26=C5C=%24C%10C=%9C%27=C(C=6C8=C7C=%14C(=C(C=9)C%10%11%12)C(C%15C%19=C%18C(=C%13C=%14%15)C=%16%17)=C%20%21)C=%22C%23=C%27C=%24C=%25C%26C%28=C%29C%30=C%31C=%32C=%33%34C(C)C@H%26CC(O)C@H(C(C)C)C%17%30C%14C=%1C%27=C2C=%32C=%1C%16=C%31C=5C=%32C=C%10C%24=C%23C8=C%22C=7C=4C=%3C%21C%18=C%12C=%11C=3C=C%6C=7C8=C%10=C%31C=%15C=%11C%13=C%12C=%19C(=C%17C%13=C%14C=%15%16)C=%25C%26%20C(=C%23C(=C%18C=%19%20)C=%21%22)C%24=C%29=C%25C%26%30C%27=C%28%29?	290.4677286	5.110
5	O=C(O)CCC(CCCCC(=O)O)C%31CCCCC)NC%31%30C%13=C1C%15=C%18C%26C1=C%28C%31C%10=C%29C=%20C9=C%21C2=C%24C=5C%17=C4C%16=C%14C8=C%12C=%3C%11C=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%18%19)C=%27C%25=C(C=%20%21=C%22C%25=C%23C%24)C(C%26=%27)=C%28%29?	302.3951552	5.300
6	O=C(O)CCC(=O)OCC%26CCCC(C)%17%30C%14C=1C%27=C2C=%32C=1C%16=C%31C=5C=%32C=C%10C%24=C%23C8=C%22C=%25C%17=C4C%16=C%14C8=C%12C=%3C%11C=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%18%19)C=%27C%25=C(C=%20%21=C%22C%25=C%23C%24)C(C%26=%27)=C%28%29?	301.0487711	6.800
7	O=C(O)CCC(=O)OCC%26CCCC(C)%17%30C%14C=1C%27=C2C=%32C=1C%16=C%31C=5C=%32C=C%10C%24=C%23C8=C%22C=%25C%17=C4C%16=C%14C8=C%12C=%3C%11C=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%24)C(C%26=%27)=C%28%29?	265.2028656	2.890
14	O=C(O)CCC(=O)OCC%26CCCC(C)%17%30C%14C=1C%27=C2C=%32C=1C%16=C%31C=5C=%32C=C%10C%24=C%23C8=C%22C=%25C%17=C4C%16=C%14C8=C%12C=%3C%11C=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%24)C(C%26=%27)=C%28%29?	301.2369340	5.660
15	O=C(O)CCC(=O)OCC%26CCCC(C)%17%30C%14C=1C%27=C2C=%32C=1C%16=C%31C=5C=%32C=C%10C%24=C%23C8=C%22C=%25C%17=C4C%16=C%14C8=C%12C=%3C%11C=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%24)C(C%26=%27)=C%28%29?	304.4909654	5.200

(Continued)

Table 4. (Continued).

ID	SMILES	pEC50		
		DCW(1)	Expr	Calc
18	O=C(O)CCCCNC%31%30C%13=C1C%15=C%18C%26C1=C%28C%31C% 10=C%29C=%20C9=C%21C2=C6C%22=C%24C=5C%17=C4C%16=C% 14C8=C%12C=3C=%11C(=C2C=7C=3C8=C4C=5C6=7C9=C%10C=%11C% 30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C%18%19)C=%27C% 25=C(C=%20C%21=C%22C%25=C%23%24C(C%26=%27)=C%28%29	286.9281017	6.310	4.173
1	Test set OC%22CC%21%24C%31=C5c1c%23c%12c%10c2c1C=4C3=C%32C2=C% 11C=%25C=%3c3c=%26C%29=C8C(=C3C=7C(C=45)=C%31=C%20C=% 18C9=C6C=7C8=C%30C9=C%19C%28=C%13C=%27C%14=C(c(c%10% 11)c%15c%12C(=C%17C(=C(C%13C%17%16CC1O)CCC%14%15%16)C=% 18%19)C%20%21)C%23%24C%22)C=%25C=%26C=%27C%28=C%29% 30C%32=%33	292.5432013	4.750	4.873
9	O=C(O)CN(CCCNC(=N)NC%31%30C%13=C1C%15=C%18C%26C1=C%28C% 31C%10=C%29C=%20C9=C%21C2=C6C%22=C%24C=5C%17=C4C% 16=C%14C8=C%12C=3C=%11C(=C2C=7C=3C8=C4C=5C6=7C9=C% 10C=%11C%30C%12=C%13C%14=C%15C%16=C%19C%17=C%23C(=C% 18%19)C=%27C%25=C(C=%20C%21=C%22C%25=C%23C%24)C(C%26=% 27)=C%28%29	283.2251200	3.640	3.711
11	OC(CO)CO)NC(=O)CCCC1cc(c1)C%11(=c2ccc2)C%21%12C5=C%28C% 20=C%19C%29=C%18C%31=C%17C=%32C=C%32C=%33C%30=C(C% 13=C7C=6C=3C=%22C=4C%34=C%23C=%25C=%33C%30=C(C% 26=C5C=%24C%10C=9C%27=C(C=6C8=C7C=%14C(=C(C8=9)C%10%11% 12)C(C%15C%19=C%18C(=C13C=%14%15)C=%16%17)=C%20% 21)C=%22C%23=C%27C=%24C=%25%26)C%28=C%29C%30=C%31C=% 32C=%33%34	298.9331967	5.600	5.670
13	O=C(O)CON=C%26CCC%17%30C%14C=1C%27=C2C=%32C=1C%16=C% 31C=%5C=%32C=6C9=C2C%28=C%10C%24=C%23C8=C% 22C=7C=4C=3C=%21C%18=C%12C=%11C=3C(C=4C=5C=6C=7C8=C9% 10)=C%31C=%15C=%11C%13=C%12C=%19C(=C%17C%13=C%14C=% 15%16)C=%25C%20C(=C%23C(=C%18C=%19%20)C=%21%22)C%24=C% 29C=%25C%30(CC%26)C%27=C%28%29	300.0556465	5.530	5.810
17	O=C(O)CCCC(=O)NCC1cccc1C%11(c2ccc(CCNC(=O)CCCC(=O)O)cc2)C%21% 12C5=C%28C%20=C%19C%29=C%18C%31=C%17C=%32C=4C=3C=% 16C%13=C7C=6C=3C=%22C=4C%34=C%23C=%25C=%33C%30=C(C% 26=C5C=%24C%10C=9C%27=C(C=6C8=C7C=%14C(=C(C8=9)C%10%11% 12)C(C%15C%19=C%18C(=C13C=%14%15)C=%16%17)=C%20% 21)C=%22C%23=C%27C=%24C=%25%26)C%28=C%29C%30=C%31C=% 32C=%33%34	295.7213966	5.130	5.269

Split C, Threshold = 1, first probe of the Monte-Carlo optimization.

**Table 5.** The Distribution of Attributes in the Subtraining Set, Calibration Set, and Test Set.

$S_k$	No.	Total number of $S_k$			Numbers of SMILES which are containing $S_k$		
		Subtraining set	Calibration set	Test set	Subtraining set	Calibration set	Test set
<b>Split A</b>							
%	1	328	370	242	7	8	5
(	2	94	118	82	7	8	5
/	3	0	1	1	0	1	1
0	4	42	48	30	7	8	5
1	5	196	224	140	7	8	5
2	6	192	218	140	7	8	5
3	7	96	104	78	7	8	5
4	8	44	50	36	7	8	5
5	9	44	48	30	7	8	5
6	10	42	48	30	7	8	5
7	11	42	48	30	7	8	5
8	12	42	48	30	7	8	5
9	13	42	48	30	7	8	5
=	14	252	302	198	7	8	5
@	15	0	2	0	0	1	0
C	16	455	547	332	7	8	5
H	17	0	2	0	0	1	0
N	18	9	8	4	4	6	3
O	19	24	22	12	6	8	4
[	20	0	4	0	0	1	0
\	21	2	5	1	1	3	1
c	22	32	22	36	3	2	3
<b>Split B</b>							
%	1	380	324	236	8	7	5
(	2	110	102	82	8	7	5
/	3	1	0	1	1	0	1
0	4	48	42	30	8	7	5
1	5	224	196	140	8	7	5
2	6	220	190	140	8	7	5
3	7	116	92	70	8	7	5
4	8	54	44	32	8	7	5
5	9	50	42	30	8	7	5
6	10	48	42	30	8	7	5
7	11	48	42	30	8	7	5
8	12	48	42	30	8	7	5
9	13	48	42	30	8	7	5
=	14	293	250	209	8	7	5
@	15	0	0	2	0	0	1
C	16	536	449	349	8	7	5
H	17	0	0	2	0	0	1
N	18	5	12	4	4	6	3
O	19	22	18	18	7	6	5
[	20	0	0	4	0	0	1
\	21	3	2	3	2	1	2
c	22	46	32	12	4	3	1
<b>Split C</b>							
%	1	378	324	238	8	7	5
(	2	102	102	90	8	7	5
/	3	2	0	0	2	0	0
0	4	48	42	30	8	7	5
1	5	224	196	140	8	7	5
2	6	220	192	138	8	7	5
3	7	114	90	74	8	7	5
4	8	52	44	34	8	7	5
5	9	50	42	30	8	7	5

(Continued)

**Table 5.** (Continued).

$S_k$	No.	Total number of $S_k$			Numbers of SMILES which are containing $S_k$		
		Subtraining set	Calibration set	Test set	Subtraining set	Calibration set	Test set
6	10	48	42	30	8	7	5
7	11	48	42	30	8	7	5
8	12	48	42	30	8	7	5
9	13	48	42	30	8	7	5
=	14	298	264	190	8	7	5
@	15	0	2	0	0	1	0
C	16	525	477	332	8	7	5
H	17	0	2	0	0	1	0
N	18	9	4	8	6	3	4
O	19	24	17	17	7	6	5
[	20	0	4	0	0	1	0
\	21	4	2	2	3	1	1
c	22	34	22	34	3	2	3

## Conclusions

SMILES-based optimal descriptors can be predictor for the binding affinity values (pEC50) of fullerene derivatives; balance of correlations gives models that are more robust for the pEC50 than classic scheme (training set–test set); the difference in distribution of SMILES symbols in the subtraining set, calibration set, and the test set leads to the difference of statistical quality of models for three random splits examined in this study.

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